

WAIAF 2019

Avaliação de Métodos para Tomada de Decisão Multicritério aplicados a um Sistema Operacional de Negociação

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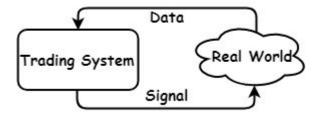
16 de Maio

Roteiro

- Introduction
- Methodology
 - Trading System:
 - ► Technical Trading Rules
 - Performance Metrics
 - Decision-Making Process
 - MultiCriteria Decision Aid:
 - **Ensemble**
 - Interactive Multi-criteria Decision Making (TODIM)
- Results & Discussion
- Final Remarks & Future Works

Introduction

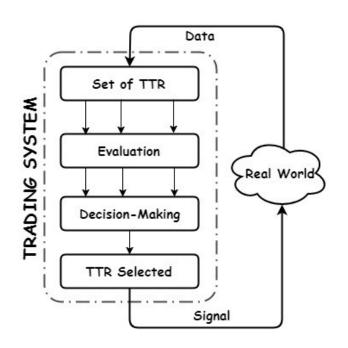
- Financial Markets
 - ▶ **Challenges:** complex, non-linear, subject to different factors
- Market Practitioner tools:
 - Discretionary trading vs Fundamental Analysis vs Technical Analysis
- Performance Evaluation:
 - Artificial Stock Markets based on Multi-Agent Systems
 - Backtesting
- Trading System:

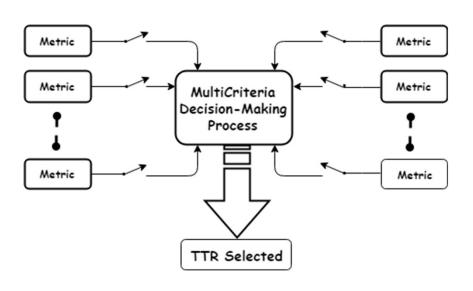


- Main Purpose:
 - Evaluation of two MultiCriteria Decision-Making Approaches

Trading System Details:

MultiCriteria Decision-Making:





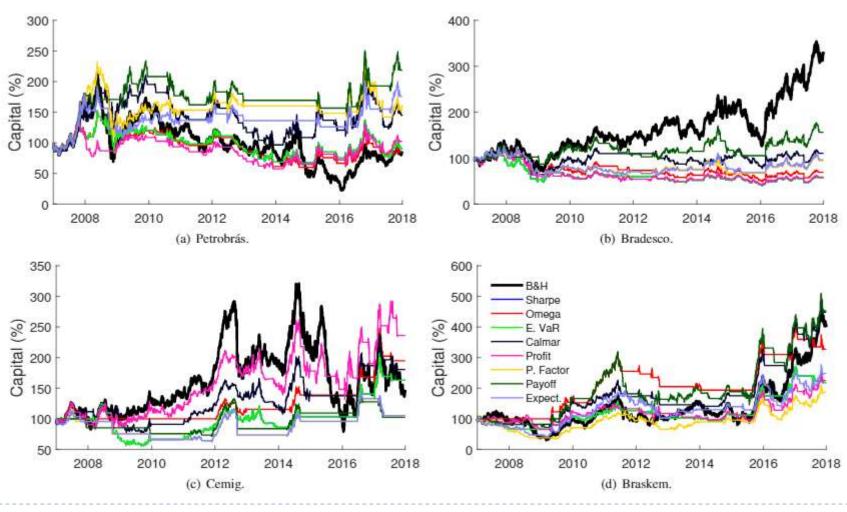
Performance Metrics:

Measure	Formulation		
Profit Factor	$F = \sum_{p=1}^{P} S_p^+ / \sum_{q=1}^{Q} S_q^-$		
Payoff Ratio	$\mathcal{P} = \overline{P^+} / \overline{P^-}$		
Expected Value	$\mathbf{E} = \left[\left(1 + \overline{P^+} / \overline{P^-} \right) P_r^+ \right] - 1$		
Sharpe	$\mathbb{S} = (\overline{R} - \gamma) \big/ \sigma_R$		
Omega	$\Omega = \big(\overline{R} - \gamma\big) \big/ \Upsilon_1(\zeta) + 1$		
Calmar	$\mathcal{C} = (\overline{R} - \gamma) / -MD_1$		
Excess Var	$\varphi = (\overline{R} - \gamma) / \nu$		

Technical Trading Rules:

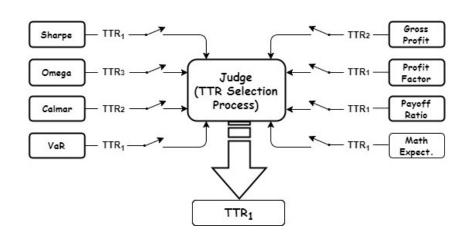
Indicators	Parameters		
Moving Averages	$L = \begin{cases} 5, 6, \cdots, 12, \\ 13, 15, 17, \cdots, 25, \\ 27, 30, 33, 36, \cdots, 57, \\ 60, 65, 70, \cdots, 95, \\ 100, 110, 120, \cdots, 200. \end{cases}$		
Bollinger Bands	$L = 18, 19, \dots, 22;$ $\eta = 1.8, 1.85, \dots, 2.2.$		
MACD	P = 11, 12, 13; $Q = 24, 25, \dots, 28;$ K = 8, 9, 10.		
Momentum	$K = 3, 4, 5, \cdots, 52.$		
RSI	$L = 12, 13, \dots, 16;$ $RSI^- = 25, 30, 35;$ $RSI^+ = 65, 70, 75.$		
Stochastic	M = 8, 11, 14, 17; L = 5, 8, 11, 14; $D^- = 25, 30; D^+ = 80, 85.$		

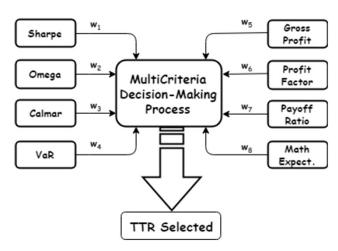
Individual Metrics:



Ensemble:

TODIM:





Alternatives	Criteria						
	C_1	C_2		$C_{\rm j}$		C_m	
$\overline{A_1}$	P_{11}	P_{12}		P_{1j}		$P_{1 m}$	
A_2	P_{21}	P_{22}		P_{2j}		P_{2m}	
	222			* * *			
A_i	P_{i1}	P_{i2}		P_{ij}		P_{im}	
		()*)					
A_n	P_{n1}	P_{n2}	****	P_{nj}		P_{nm}	

▶ TODIM: Similarities with MCDA, but difference in the **premise**:

Traditional economic theory: each agent is similar and rational

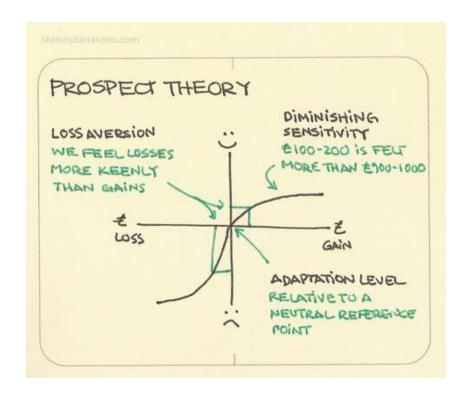
MCDA - the decision maker always looks for some maximum value



TODIM: based on **Prospect Theory**

How people effectively make decisions in the **face of risk**

Asymmetry: gains and losses



▶ TODIM:

- Consider a set of n alternatives to be ordered in the presence of m criteria (quantitative or qualitative)
- For each one of the qualitative **criteria c**, the contribution of each **alternative i** (also known as **Decision Matrix**) is:

Sharpe	Omega	Ex. Var	Calmar	Profit (%)	Pr. Factor	Payoff	Expect.
0.0731	1.2958	0.0424	0.0043	300.6529	0.5798	0.4910	-0.2023
0.0803	1.3264	0.0463	0.0052	354.4406	0.5105	0.3928	-0.2239
0.0771	1.3151	0.0446	0.0052	330.1258	0.5323	0.3267	-0.1886
0.0646	1.2562	0.0376	0.0040	245.9310	0.6004	0.3374	-0.1541
0.0639	1.2505	0.0372	0.0041	244.3992	0.6041	0.3679	-0.1612
:	:	:	:	÷	:	:	:
0.0338	1.1696	0.0200	0.0020	60.7919	0.4053	0.3839	-0.3081

- ▶ Define a weighting satisfying $w_i \in [0,1]$ e $\sum_{i=1}^m w_i = 1$.
- w_{rc} is the weight of **criterion** c divided by the the **reference criterion**.

- ▶ TODIM Algorithm:
 - Step 1: Normalize the Decision Matrix
 - **Step 2:** Calculate the dominance of each alternative A, over each alternative A_i (incorporated to Prospect Theory):

$$\delta(A_{i},A_{j}) = \sum_{c=1}^{m} \Phi_{c}(A_{i},A_{j}) \quad \forall (i,j). \tag{1}$$

$$\Phi_{c}(A_{i},A_{j}) = \begin{vmatrix} \sqrt{\frac{w_{rc}(P_{ic}-P_{jc})}{\sum_{c=1}^{m}w_{rc}}} & \text{if } (P_{ic}-P_{jc}) > 0, \quad (2) \\ 0 & \text{if } (P_{ic}-P_{jc}) = 0, \quad (3) \\ -\frac{1}{\theta} \sqrt{\frac{\left(\sum_{c=1}^{m}w_{rc}\right)(P_{jc}-P_{ic})}{w_{rc}}} & \text{if } (P_{ic}-P_{jc}) < 0, \quad (4) \end{vmatrix}$$
Partial contributions in the calculation of the dominance matrix.

Step 3: Compute the overall value of ξ_i according to:

$$\xi_{i} = \frac{\sum_{j=1}^{n} \delta(A_{i}, A_{j}) - \min \sum_{j=1}^{n} \delta(A_{i}, A_{j})}{\max \sum_{j=1}^{n} \delta(A_{i}, A_{j}) - \min \sum_{j=1}^{n} \delta(A_{i}, A_{j})}$$
(5)

Step 4: Choose the best alternative by rank the values of ξ_i .

1) Normalize the Decision Matrix:

Sharpe	Omega	Ex. Var	Calmar	Profit (%)	Pr. Factor	Payoff	Expect.
0.0731	1.2958	0.0424	0.0043	300.6529	0.5798	0.4910	-0.2023
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:	:	:	:	÷	:	:	:
0.0338	1.1696	0.0200	0.0020	60.7919	0.4053	0.3839	-0.3081

2) Dominance of A_i over A_j

$$\delta(A_{i}, A_{j}) = \sum_{c=1}^{m} \Phi_{c}(A_{i}, A_{j}) \quad \forall (i, j). \tag{1}$$

$$\Phi_{c}(A_{i}, A_{j}) = \begin{vmatrix} \sqrt{\frac{w_{rc}(P_{ic} - P_{jc})}{\sum_{c=1}^{m} w_{rc}}} & \text{if } (P_{ic} - P_{jc}) > 0, & (2) \\ 0 & \text{if } (P_{ic} - P_{jc}) = 0, & (3) \\ -\frac{1}{\theta} \sqrt{\frac{\left(\sum_{c=1}^{m} w_{rc}\right)(P_{jc} - P_{ic})}{w_{rc}}} & \text{if } (P_{ic} - P_{jc}) < 0, & (4) \end{vmatrix}$$

3) Compute ξ :

$$\xi_{i} = \frac{\sum_{j=1}^{n} \delta(A_{i}, A_{j}) - \min \sum_{j=1}^{n} \delta(A_{i}, A_{j})}{\max \sum_{j=1}^{n} \delta(A_{i}, A_{j}) - \min \sum_{j=1}^{n} \delta(A_{i}, A_{j})}$$

4) Choose the best alternative by rank ξ

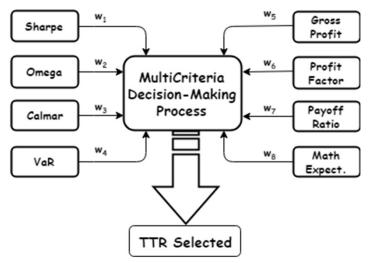
✓ Remarks:

- The global multiattribute value function of TODIM then aggregates all measures of gains and losses over all criteria.
- Ranks from TODIM are linear, or strong, in a sense that it has no ties between the alternative solutions.

→ Loss Mitigation Factor

Experimental Setup:

TODIM vs Ensemble:

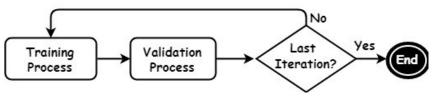


- ▶ TODIM: **0** effect
- ▶ Time-Series from the Brazilian Stock Market:
 - Different economic sectors:2002 to 2017;
 - ▶ 2002 to 2006 \rightarrow first training window.

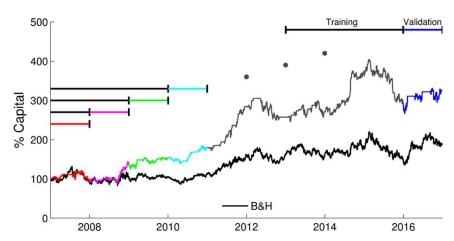
Trading System Simulation:

Data (in sample) Set of TTR Decision-Making Process Data out-of-sample Simulated Results Evaluation ALIDA THO TTR Selected Simulated Signal

Walk Forward:

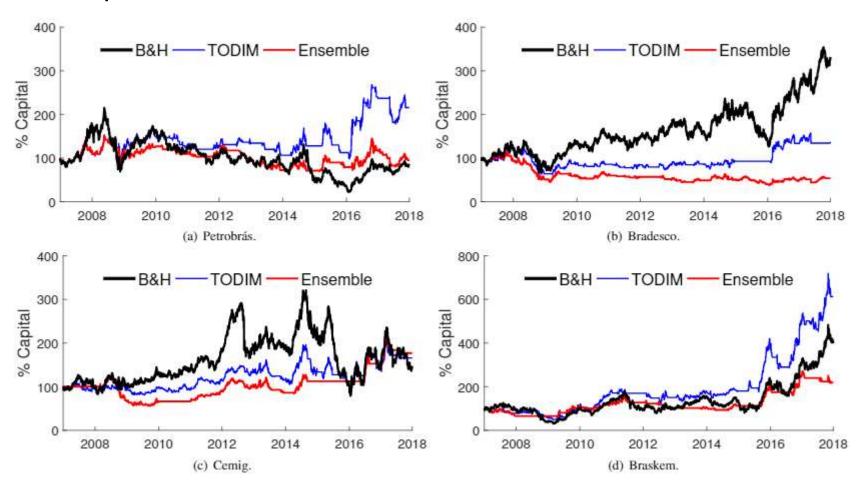


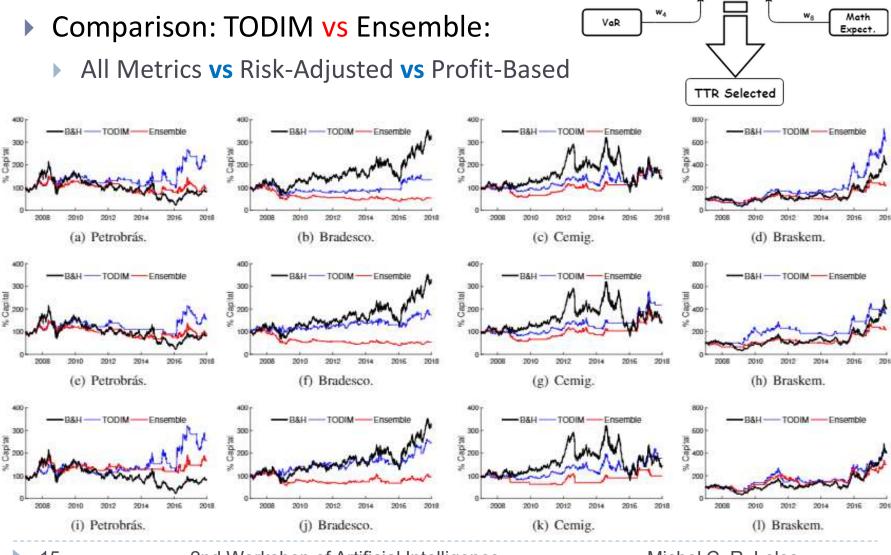
Iterative Process



Time-Series Evolution

Comparison: TODIM vs Ensemble:





Sharpe

Omega

Calman

MultiCriteria

Decision-Making Process Gross

Profit

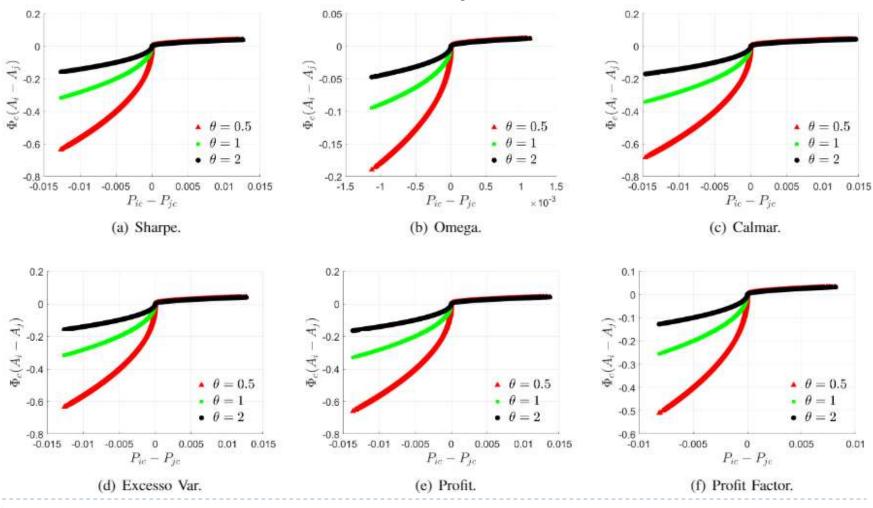
Profit

Factor

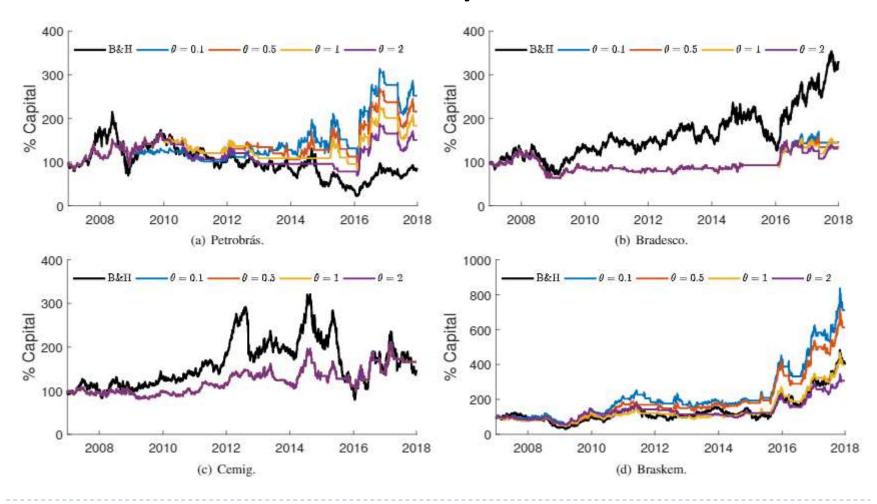
Payoff

Ratio

\blacktriangleright Parameter θ : Sensitiviness Analysis



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Final Remarks

- ▶ Trading System → Decision-Making Process
 - Evaluation of two MultiCriteria Decision-Making Approaches
 - TODIM vs Ensemble
- ▶ In the presented simulations TODIM outperforms the Ensemble
- Effect of TODIM parameters:
 - ▶ Wheights: *w_i*
 - **Loss Mitigation Factor:** θ
- Promising preliminary results...

Future Works

- Use of different:
 - ▶ Technical Trading Rules and/or Performance Metrics
- ▶ Artificial Intelligence for parameter setting:
 - Adaptive parameters (in each iteration)
- Window data size changing in training/validation datasets
 - Structural Break Detection in Time Series
- Inclusion and Discussion of:
 - Transactions Cost; Fundamentalist Data; ...

Encerramento



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Obrigado!

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